

Important Geostationary Orbit Formulas PDF



Formulas Examples with Units

List of 14 Important Geostationary Orbit Formulas

1) Acute Value Formula ↻

Formula

$$\angle\theta_{\text{acute}} = \angle\theta_S - \angle\theta_z$$

Example with Units

$$80^\circ = 180^\circ - 100^\circ$$

Evaluate Formula ↻

2) Angle of Elevation Formula ↻

Formula

$$\angle\theta_{\text{el}} = \angle\theta_R - \angle\theta_{\text{tilt}} - \lambda_e$$

Example with Units

$$42^\circ = 90^\circ - 31^\circ - 17^\circ$$

Evaluate Formula ↻

3) Angle of Tilt Formula ↻

Formula

$$\angle\theta_{\text{tilt}} = \angle\theta_R - \angle\theta_{\text{el}} - \lambda_e$$

Example with Units

$$31^\circ = 90^\circ - 42^\circ - 17^\circ$$

Evaluate Formula ↻

4) Apogee Heights Formula ↻

Formula

$$H_{\text{apogee}} = r_{\text{apogee}} - [\text{Earth-R}]$$

Example with Units

$$2476.9912\text{ km} = 8848\text{ km} - 6371.0088\text{ km}$$

Evaluate Formula ↻

5) Azimuth Angle Formula ↻

Formula

$$\angle\theta_z = \angle\theta_S - \angle\theta_{\text{acute}}$$

Example with Units

$$100^\circ = 180^\circ - 80^\circ$$

Evaluate Formula ↻

6) Earth Station Latitude Formula ↻

Formula

$$\lambda_e = \angle\theta_R - \angle\theta_{\text{el}} - \angle\theta_{\text{tilt}}$$

Example with Units

$$17^\circ = 90^\circ - 42^\circ - 31^\circ$$

Evaluate Formula ↻

7) Geostationary Height Formula ↻

Formula

$$H_{\text{gso}} = R_{\text{gso}} - [\text{Earth-R}]$$

Example with Units

$$381.7912\text{ km} = 6752.8\text{ km} - 6371.0088\text{ km}$$

Evaluate Formula ↻



8) Geostationary Radius Formula ↻

Formula

$$R_{gso} = H_{gso} + [\text{Earth-R}]$$

Example with Units

$$6752.8088 \text{ km} = 381.8 \text{ km} + 6371.0088 \text{ km}$$

Evaluate Formula ↻

9) Length of Radius Vectors at Apogee Formula ↻

Formula

$$r_{\text{apogee}} = a_{\text{orbit}} \cdot (1 + e)$$

Example with Units

$$8848 \text{ km} = 7900 \text{ km} \cdot (1 + 0.12)$$

Evaluate Formula ↻

10) Length of Radius Vectors at Perigee Formula ↻

Formula

$$r_{\text{perigee}} = a_{\text{orbit}} \cdot (1 - e)$$

Example with Units

$$6952 \text{ km} = 7900 \text{ km} \cdot (1 - 0.12)$$

Evaluate Formula ↻

11) Perigee Heights Formula ↻

Formula

$$H_p = r_{\text{perigee}} - [\text{Earth-R}]$$

Example with Units

$$580.9912 \text{ km} = 6952 \text{ km} - 6371.0088 \text{ km}$$

Evaluate Formula ↻

12) Power Density at Satellite Station Formula ↻

Formula

$$P_d = \text{EIRP} - L_{\text{path}} - L_{\text{total}} - (10 \cdot \log_{10}(4 \cdot \pi)) - (20 \cdot \log_{10}(R_{\text{sat}}))$$

Example with Units

$$922.9255 \text{ W} = 1100 \text{ W} - 12 \text{ dB} - 50 \text{ dB} - (10 \cdot \log_{10}(4 \cdot 3.1416)) - (20 \cdot \log_{10}(160 \text{ km}))$$

Evaluate Formula ↻

13) Satellite Geostationary Radius Formula ↻

Formula

$$R_{gso} = \left(\frac{[\text{GM.Earth}] \cdot P_{\text{day}}}{4 \cdot \pi^2} \right)^{\frac{1}{3}}$$

Example with Units

$$6752.8768 \text{ km} = \left(\frac{4\text{E}+14 \text{ m}^3/\text{s}^2 \cdot 353 \text{ d}}{4 \cdot 3.1416^2} \right)^{\frac{1}{3}}$$

Evaluate Formula ↻

14) Time of Perigee Passage Formula ↻

Formula

$$L_{\text{perigee}} = t_{\text{min}} - \left(\frac{M}{n} \right)$$

Example with Units

$$19.7934 \text{ min} = 20 \text{ min} - \left(\frac{31.958^\circ}{0.045 \text{ rad/s}} \right)$$

Evaluate Formula ↻



Variables used in list of Geostationary Orbit Formulas above

- $\angle \theta_{\text{acute}}$ Acute Angle (Degree)
- $\angle \theta_{\text{el}}$ Angle of Elevation (Degree)
- $\angle \theta_{\text{R}}$ Right Angle (Degree)
- $\angle \theta_{\text{S}}$ Straight Angle (Degree)
- $\angle \theta_{\text{tilt}}$ Tilt Angle (Degree)
- $\angle \theta_{\text{Z}}$ Azimuth Angle (Degree)
- a_{orbit} Major Orbital Axis (Kilometer)
- e Eccentricity
- **EIRP** Effective Isotropic Radiated Power (Watt)
- H_{apogee} Apogee Height (Kilometer)
- H_{gso} Geostationary Height (Kilometer)
- H_{p} Perigee Height (Kilometer)
- L_{path} Path Loss (Decibel)
- L_{perigee} Perigee Passage (Minute)
- L_{total} Total Loss (Decibel)
- M Mean Anomaly (Degree)
- n Mean Motion (Radian per Second)
- P_{d} Power Density at Satellite Station (Watt)
- P_{day} Orbital Period in Days (Day)
- r_{apogee} Apogee Radius (Kilometer)
- R_{gso} Geostationary Radius (Kilometer)
- r_{perigee} Perigee Radius (Kilometer)
- R_{sat} Range of Satellite (Kilometer)
- t_{min} Time in Minutes (Minute)
- λ_{e} Earth Station Latitude (Degree)

Constants, Functions, Measurements used in list of Geostationary Orbit Formulas above

- **constant(s):** π , 3.14159265358979323846264338327950288
Archimedes' constant
- **constant(s):** **[Earth-R]**, 6371.0088
Earth mean radius
- **constant(s):** **[GM.Earth]**, 3.986004418E+14
Earth's Geocentric Gravitational Constant
- **Functions:** **log10**, log10(Number)
The common logarithm, also known as the base-10 logarithm or the decimal logarithm, is a mathematical function that is the inverse of the exponential function.
- **Measurement:** **Length** in Kilometer (km)
Length Unit Conversion 
- **Measurement:** **Time** in Day (d), Minute (min)
Time Unit Conversion 
- **Measurement:** **Power** in Watt (W)
Power Unit Conversion 
- **Measurement:** **Angle** in Degree (°)
Angle Unit Conversion 
- **Measurement:** **Angular Velocity** in Radian per Second (rad/s)
Angular Velocity Unit Conversion 
- **Measurement:** **Sound** in Decibel (dB)
Sound Unit Conversion 



Download other Important Satellite Communication PDFs

- **Important Geostationary Orbit Formulas** 
- **Important Satellite Orbital Characteristics Formulas** 
- **Important Radio Wave Propagation Formulas** 

Try our Unique Visual Calculators

-  **Percentage of number** 
-  **LCM calculator** 
-  **Simple fraction** 

Please SHARE this PDF with someone who needs it!

This PDF can be downloaded in these languages

[English](#) [Spanish](#) [French](#) [German](#) [Russian](#) [Italian](#) [Portuguese](#) [Polish](#) [Dutch](#)

7/8/2024 | 12:31:43 PM UTC

